



UNIVERSITAS GADJAH MADA

Faculty of Mathematics and Natural Sciences

Mathematics Department

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Master in Mathematics

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MODULE HANDBOOK

Master in Mathematics

Module name:	Biomathematics (<i>Bio-Matematika</i>)															
Module level, if applicable:	Master Program															
Code, if applicable:	MMM 5313															
Subtitle, if applicable																
Courses, if applicable																
Semester(s) in which the module is taught:	1st semester															
Person responsible for the module:	Chair of the Applied Mathematics Research Group															
Lecturer(s):	Lina Aryati															
Language:	Bahasa Indonesia															
Relation to curriculum:	Master Degree in Mathematics, Elective, 1st semester															
Teaching methods																
Workload (incl. contact hours, self-study hours)	<ul style="list-style-type: none"> • 3x50 minutes lectures, • 3x60 minutes structured activities, • 3x60 minutes individual study, • In 16 weeks per semester (including mid-term and final examinations). • The total workload is 136 hours per semester. 															
Credit points	3															
Required and recommended prerequisites for joining the module:	Before taking this course, it is better if students have good experiences in Mathematical Modeling in Differential Equations.															
Module objectives/intended learning outcomes:	<p>After completing this course, the students should be able to</p> <ul style="list-style-type: none"> • CO 1. create models of more complex epidemic problems. • CO 2. solve epidemic problems by investigating the stability of equilibrium points. 															
Content:	Introduction: the simplest SIR model. Review: Stability of Equilibrium Points and Linearization method. Direct Methods: Lyapunov Function, La Salle Theorem. First Integral. Basic Reproduction Number. Global Stability. More general SIR model. The SIS and SEIR model. Global stability of reaction-diffusion and its application to epidemic problems.															
Examinations forms																
Study and examination requirements	<p>To pass the course, the minimum grade is C. The final mark will be weighted as follows:</p> <table> <thead> <tr> <th>No</th> <th>Assessment methods (components, activities)</th> <th>Weight (percentage)</th> </tr> </thead> <tbody> <tr> <td>1</td> <td>Final Examination</td> <td>30%</td> </tr> <tr> <td>2</td> <td>Mid-Term Examination</td> <td>30%</td> </tr> <tr> <td>3</td> <td>Class Activities: Quiz, Homework</td> <td>15%</td> </tr> <tr> <td>4</td> <td>Project-based</td> <td>25%</td> </tr> </tbody> </table>	No	Assessment methods (components, activities)	Weight (percentage)	1	Final Examination	30%	2	Mid-Term Examination	30%	3	Class Activities: Quiz, Homework	15%	4	Project-based	25%
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4	Project-based	25%														

Media employed:	Board, LCD Projector, Laptop/Computer
Reading List:	<ol style="list-style-type: none"> 1. Brauer F. and Castillo-Chavez C., 2012, <i>Mathematical Model in Population Biology and Epidemiology</i>, Second Edition, Springer Science+Business Media, LLC, New York. 2. Perko L., 1991, <i>Differential Equations and Dynamical Systems</i>, Springer-Verlag, New York. 3. Vidyasagar, M., 2002, <i>Nonlinear Systems Analysis</i>, SIAM, Philadelphia. 4. Luenberger, D. G., 1979, <i>Introduction to Dynamic Systems: Theory, Models, & Applications</i>, John Wiley & Sons, New York. 5. Castillo-Chavez C., Feng Z., and Huang W., 2002, On the Computation of R_0 and Its Role on Global Stability, <i>Mathematical Approaches for Emerging and Reemerging Infections Diseases: Models, Methods and Theory</i>, Volume I, Springer-Verlag, New York. 6. Korobeinikov, A., and Maini, P. K., 2004, A Lyapunov Function and Global Properties for SIR and SEIR Epidemiological Models with Non-Linear Incidence, <i>Mathematical Biosciences and Engineering</i>, Volume I, Number1, June 2004. 7. Hattaf, K. and Yous N., 2013, Global Stability for Reaction-Diffusion Equations in Biology, <i>Computer and Mathematics with Applications</i>, 66, pp.1488-1497. 8. Wang N., Zhang L., and Teng Z., 2021, Dynamics in a reaction-diffusion epidemic model via environmental driven infection in heterogeneous space, <i>Journal of Biological Dynamics</i>, DOI 10.1080/17513758.2021.1900428 9. Other journals, adjusted as needed.

CO-PLO Mapping

	PLO – 1 S2 Mat	PLO – 2 S2 Mat	PLO – 3 S2 Mat	PLO – 4 S2 Mat	PLO – 5 S2 Mat	PLO –6 S2 Mat
CO 1	V			V	V	V
CO 2	V		V	V	V	V

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