

## UNIVERSITAS GADJAH MADA

Faculty of Mathematics and Natural Sciences

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## Master in Mathematics

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**MODULE HANDBOOK** 

Module Name	Theory of Differential Equation			
Module level, if applicable	Master			
Code, if applicable	MMM 6102			
Subtitle, if applicable				
Courses, if applicable	Theory of Differential Equations			
Semester(s) in which the module is taught	3 <sup>rd</sup> (third)			
Person responsible for the module	Chair of Analysis Research Group			
Lecturer(s)	Prof. Dr. Ch. Rini Indrati, M.Si.			
Language	Bahasa Indonesia			
Relation to curriculum	Master Degree, Elective, 3 <sup>rd</sup> semester			
Teaching methods	Lecture, Discussion, Flipped Classroom, and Presentation.			
Workload (incl. contact hours, self- study hours)	Total workload is 136 hours per semester, which consists of 150 minutes lectures per week for 14 weeks, 180 minutes structured activities per week, 180 minutes individual study per week, in total is 16 weeks per semester, including mid exam and final exam.			
Credit points	3			
Required and recommended prerequisites for joining the module	Students have taken the module of Analysis I (completeness, compactness, continuous function, and Arzelà-Ascoli Theorem) and have participated in the final exam of the module. Students have some knowledge in Linear Algebra: independence linear, bases, and matrix.			

Module objectives/intended	After completing this course the students have ability to:					
learning outcomes	CO 1. prove theorems of analysis which are used in proving the existence ar uniqueness of the solution of differential equations.					
	CO 2. prove the existence and uniqueness of the solution of initial value problem and system of differential equations with initial conditions.					
	CO 3. Prove and justify the characteristic of solution of differential equations					
	and systems.					
Content	<ul> <li>a. Some theories in analysis: compactness in C(K) and Banach Fixed Point Theorem.</li> <li>b. Differential equation of order one: Peano Theorem, existence and uniqueness of the solution of initial value problem, Picard Theorem, approximation solution, and extension of the solution.</li> <li>c. System of differential equations-vector approach: existence and properties of solutions, system of higher order.</li> <li>d. Linear system of differential equations-matrix approach: <ol> <li>i. General linear system: fundamental system, Reduction of order, Nonhomogeneous system.</li> <li>ii. Linear Equation of higher order: fundamental system, Wronsky determinant, Reduction of order, Nonhomogeneous system, Green's function.</li> </ol> </li> </ul>					
	vector characteristic, general solution, homogeneous equation of					
	<i>n<sup>th</sup></i> order, and their applications.					
Examination forms	Oral presentation and essay					
Study and examination requirements	Requirements for successfully passing the module is minimal C. The final mark will be weighted as follows:					
	NoAssessment methods (components, activities) Weight (percentage)1Final Examination2Mid-Term Examination3Class Activities: Presentation and Quiz4.Homework					
Media employed	White board, LCD, computer, and wifi. Platform: Zoom or google.meet					

Reading list	<ol> <li>Witold Hurewicz, 1958, Lectures on Ordinary Differential Equations, The Technology Press of Massachusetts Institute of Technology and John Wiley &amp; Sons. Inc., New York.</li> </ol>
	2. Earl A. Coddington and Norman Levinson, 1955, <i>Theory of ordinary differential equations</i> , McGraw-Hill Book Company, Inc., New York-Toronto-London.
	<b>3</b> . Earl A. Coddington and Robert Carlson, 1997, <i>Linear ordinary differential equations</i> , SIAMS, Philadelphia.
	<ol> <li>Royden, H.L. and Fitzpatrick, Real Analysis, Fourth Edition, English reprint edition copyright @ 2010 by Pearson Education Asia Limited and China Machine Press, 2010.</li> </ol>
	<ol> <li>Teschl, G., 2012, Ordinary Differential Equations and Dynamical Systems, Graduate Studies in Mathematics, Volume 140, American Mathematical Society, Providence, 2012.</li> </ol>

## **CO-PLO** Mapping

	PLO 1	PLO 2	PLO 3	PLO 4	PLO 5	PLO 6
CO 1	V	V	V			V
CO 2	V	V	V	V	V	V
CO 3	V	V	V		V	V

Modified Date : 9 August 2022