

## **UNIVERSITAS GADJAH MADA** Faculty of Mathematics and Natural Sciences

Mathematics Department Sekip Utara Bulaksumur Yogyakarta 55281 Telp: +62 274 552243 Fax: +62 274 555131 Email: <u>math@ugm.ac.id</u> Website: matematika.fmipa.ugm.ac.id

## Master in Mathematics

## **MODULE HANDBOOK**

Telp : +62 274 552243 

 Email
 : maths2@ugm.ac.id; kaprodi-s2-matematika.mipa@ugm.ac.id

 sekprodi-s2-matematika.mipa@ugm.ac.id

 Website
 : http://s2math.fmipa.ugm.ac.id/

Module name:	Topology				
Module level, if applicable:	Master Program				
Code, if applicable:	MMS106				
Subtitle, if applicable					
Courses, if applicable	Topology				
Semester(s) in which the module	1 opology 1 <sup>st</sup> semester				
is taught:					
Person responsible for the	Chair of the Lab. Analysis				
module:	Chair of the Lub. Analysis				
Lecturer(s):	Dawi Kautika Sani M. So. Dh. D. and H. Juim Andredi M. S. DL. D.				
	Dewi Kartika Sari, M. Sc., Ph.D and Hadrian Andradi, M. Sc., Ph. D Indonesia				
Language: Relation to curriculum:					
	Master Degree in Mathematics, compulsory for analysis track 1 <sup>st</sup> semester				
Teaching methods	Lectures, classroom discussion, and flipped classroom				
Workload:	• 3x50 minutes lectures,				
	• 3x50 minutes structured activities,				
	• 3x50 minutes individual study,				
	• In 16 weeks per semester (including mid-term and final				
	examinations).				
	• Total: 144x50 minutes per semester.				
Recommended prerequisites:	-				
Module objectives/intended	On successful completion of this course, students should be able to:				
learning outcomes:	CO 1. use properties of some topological concepts to prove their				
	advanced properties.				
	<i>CO 2.</i> characterize spaces using axioms of separation				
	<b>CO 3.</b> prove some characteristics of continuous functions and some				
	<i>convergence theorems</i> <i>CO 4. prove some properties of compactness and connectedness</i>				
	co 4. prove some properties of compactness and connectedness				
Content:	1. General topological structures: definition of topology space, open				
Some in	set, closed set, bases, sub-bases, subspace, cartesian products.				
	2. Axioms of separation, continuous maps, open maps and closed				
	maps, homeomorphism				
	3. Convergence in topological spaces: nets and filters.				
	4. Subspaces, sums, cartesian products, and quotient spaces				
	5. Compactness and connectedness.				
Examination forms	Essay and oral presentation				
Study and examination	The final mark will be weighted as follows:				
requirements and forms of	No Assessment methods Weight				
examination:	(components, activities)(percentage)1Final Examination35%-45%				
	1Final Examination35%-45%2Mid-Term Examination30%-35%				
	2Mid-Term Examination50%-55%3Quiz, Homework, Presentation25%-30%				
	<i>To pass the course, the minimum grade is C</i>				
Media employed:	Board, LCD Projector, Laptop/Computer				
Licella employee.					

Reading List:	<ol> <li>Dugundji J., 1996, Topology, Allyn and Bacon Inc. Boston.</li> <li>Engelking R., 1989, General Topology, Heldermann Verlag, Berlin.</li> <li>Kelley J.L., 1975, General Topology, Spinger-Verlag, New</li> </ol>
	York. 4. Munkres J.R., 2013, Topology: Pearson New International Edition, Pearson.

	Mapping of The COs and PLOs								
	PLO – 1	PLO – 2	PLO-3	PLO-4	PLO – 5	PLO –6			
	S2 Mat	S2 Mat	S2 Mat	S2 Mat	S2 Mat	S2 Mat			
CO 1	V	V							
CO 2	V		V						
CO 3	V	V							
CO 4	V		V						
CO 5	V	V							