

UNIVERSITAS GADJAH MADA

Faculty of Mathematics and Natural Sciences

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MODULE HANDBOOK

Master in Mathematics

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| Module Name | Advanced Ring Theory | | |
|---------------------------|--|--|--|
| Module level, if | Master | | |
| applicable | | | |
| Code, if applicable | MMM 5206 | | |
| Subtitle, if applicable | | | |
| Courses, if applicable | Advanced Ring Theory | | |
| Semester(s) in which the | First year | | |
| module is taught | | | |
| Person responsible for | Chair of Algebra Research Group | | |
| the module | | | |
| Lecturer(s) | Prof. Dr. Sri Wahyuni | | |
| | Prof. Dr. Indah Emilia Wijayanti | | |
| | • Dr. Budi Surodjo | | |
| | Dr. Ari Suparwanto | | |
| | • Dr. Sutopo | | |
| | Dr. Uha Isnaeni | | |
| Language | Indonesia | | |
| Relation to curriculum | Elective courses | | |
| Teaching methods | Lecture, presentation | | |
| Workload (incl. contact | (Estimated) Total workload: | | |
| hours, self-study hours) | Contact hours: 150 minutes lectures per week, 180 minutes | | |
| | structured activities per week, 180 hours individual study, 16 weeks | | |
| | per semester (including mid-term and final examinations), in total | | |
| | 136 hours per semester. | | |
| Credit points | 3 | | |
| Required and | Before taking this course, students must master the introduction of | | |
| recommended | ring theory and introduction of module theory. | | |
| prerequisites for joining | | | |
| the module | | | |

| Module | Upon successful completion of this course, students | are able to: | | | | |
|-----------------------|--|----------------------|--|--|--|--|
| objectives/intended | • CO 1. clarify various concepts, definitions and important | | | | | |
| learning outcomes | properties related to regularity in rings, spec | cial ideals, special | | | | |
| _ | rings and special modules. | | | | | |
| | • CO 2. prove concepts related to regularity in | rings, special | | | | |
| | ideals, special rings and special modules. | | | | | |
| | • CO 3. linking results and theorems in rings ar | nd modules | | | | |
| | between topics covered in lecture. | | | | | |
| | • CO 4. linking theories, methods and technique | ues that have | | | | |
| | been learned in lectures to solve some ring a | and module | | | | |
| | problems. | | | | | |
| Content | The syllabus | | | | | |
| | • the concept of regularity in rings, namely reg | gular elements, | | | | |
| | regular rings; | | | | | |
| | idempotent element, nilpotent element, idempotent ideal. | | | | | |
| | nilpotent ideal, nil ideal; | | | | | |
| | • prime elements, irreducible elements, prime | e ideals, and | | | | |
| | semiprime ideals; | | | | | |
| | • simple ring, simple module and semi simple | module; | | | | |
| | • Noether ring, Artin ring, Noether module, Ar | tin module; | | | | |
| | various advanced topics related to ring theory | ry and module | | | | |
| | theory to enrich students' insight: group ring | s, submodules | | | | |
| | and prime modules, regular submodules, ide | empotent | | | | |
| | submodules, single factorization modules, et | t c. | | | | |
| | | | | | | |
| Examination forms | Oral presentation, essay, project | | | | | |
| Study and examination | The final mark will be weighted as follows: | | | | | |
| requirements | No Assessment methods (components, activities) Weight | | | | | |
| | (percentage) | | | | | |
| | 1 Final Examination 20 – 30 % | 6 | | | | |
| | 2 Mid-Term Examination 20 – 2 | 30 % | | | | |
| | 3 Project 50 - 55 | ; % | | | | |
| | | | | | | |
| | To pass the course, the minimum grade is C. | | | | | |
| Media employed | White Board, LCD Projector, Laptop/Computer | | | | | |

| Blyth, T.S, 2018, Module Theory An Approach to Linear Algebra, University of St Andrews. |
|---|
| 2. Adkins, W.A. Weintraub, S.H., 1992, <i>Algebra: An Approach via Module Theory</i> (Graduate Texts in Mathematics, 136), Springer-Verlag, New York. |
| 3. Lam, T.Y., 1999, <i>Lectures on Modules and Rings</i> , Springer Verlag, New York. |
| 4. Wisbauer, R., 1991, <i>Foundation of Module and Ring Theory</i> , Gordon and Breach, Philadelphia. |
| 5. Lam, T.Y., 1991, A First Course in Noncommutative Rings, Springer Verlag, New York. |
| 6. Huyn, D.V., Lopez-Permouth, S.R., 2010, <i>Advances in Ring Theory</i> , Birkhaeuser, Basel. |
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CO-PLO Mapping

| | PLO 1 | PLO 2 | PLO 3 | PLO 4 | PLO 5 | PLO 6 |
|------|-------|-------|-------|-------|-------|-------|
| CO 1 | v | | v | v | V | v |
| CO 2 | v | | v | v | V | v |
| CO 3 | v | | v | v | V | v |
| CO 4 | v | | v | v | V | v |

| Compilation Date | : | August 4, 2017 |
|-------------------------|---|----------------|
| Modified Date | : | August 4, 2022 |