## UNIVERSITAS GADJAH MADA

Faculty of Mathematics and Natural Sciences
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## Master in Mathematics

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| Module Name | Graph Theory and Combinatorics |
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| Module level, if applicable | Master Programme |
| Code, if applicable | MMM 5215 |
| Subtitle, if applicable | - |
| Courses, if applicable | Graph Theory and Combinatorics |
| Semester(s) in which the <br> module is taught | 4th semester |
| Person responsible for the <br> module | Chair of the Algebra Laboratory |
| Lecturer(s) | 1. Dr. Al. Sutjijana, M.Sc. <br> 2. Dr.rer.nat. Yeni Susanti, M.Si. <br> 3. Uha Isnaini, M.Sc., Ph.D. |
| Language | Bahasa Indonesia |
| Relation to curriculum | Compulsory in Algebra Interest |
| Teaching methods | lecture, project based |
| Wequired and recommended <br> prerequisites for joining the <br> module (incl. contact hours, | Total workload is 136 hours per semester, which consists of 150 <br> minutes lectures per week for 14 weeks, 180 minutes structured <br> activities per week, 180 minutes individual study per week, in total is <br> 16 weeks per semester, including mid exam and final exam. |
| principles in discrete mathematics (counting principle, mathematical |  |
| induction, pigeonhole principle, and inclusion exclusion principle) |  |


| Module objectives/intended learning outcomes | On successful completion of this course, students should be able to: <br> CO 1. prove some properties of graph <br> CO 2. Prove some properties of finite field, finite geometry and latin square <br> CO 3. solve problems related to graphs and combinatorics <br> CO 4. make a development or a generalization or combine properties related to graph and combinatorics |
| :---: | :---: |
| Content | The study material for graph theory and combinatorics can be divided into 2 parts: <br> A. Graph Theory <br> Definition and example of graph, degree, adjacency, incidence, handshaking lemma, subgraph, induced subgraphs, graph isomorphism, regular graph, bipartite graph, special graphs, operation of graphs, graph connectivity, tree, planarity, coloring, matching. <br> B. Combinatorics <br> Finite field, finite geometry, projective geometry, Latin square, MOLS, BIBD, algorithm, complexity of algorithm |
| Examination forms | oral presentation, writing project, written exam (for mid exam and final exam), project presentation |
| Study and examination requirements | The final mark will be weighted as follows: <br> To pass the course, the minimum grade is $\mathrm{C}(50 \%)$ |
| Media employed | Board, LMS eLOK UGM, Course Material |


| Reading list | 1. Dougherty, S.T., 2020, Combinatorics and Finite Geometry, Springer International Publishing <br> 2. Robin J. Wilson, 1998, Introduction to Graph Theory, Fourth Edition, Addison Wesley Longman <br> 3. Bose, R.C., Manvel, B., 1983, Introduction to Combinatorial Theory, Colorado State University, John Wiley and Sons <br> 4. Van Lint, J.H., Wilson, R.M., 1992, A Course in Combinatorics, Cambridge university Press <br> 5. Reinhard Diestel, 2005, Graph Theory, Springer Verlag Heidelberg New York <br> 6. Rosen, K.H., 2011, Discrete Mathematics and Its Applications, Seventh Edition, Mc-Graw Hill Education |
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## CO-PLO Mapping

|  | PLO 1 | PLO 2 | PLO 3 | PLO 4 | PLO 5 | PLO 6 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| CO 1 |  | v | v |  | v |  |
| CO 2 |  | v | v |  | v |  |
| CO 3 |  | v | v |  | v |  |
| CO 4 |  |  | v |  | v |  |

## Compilation Date : July 25, 2022 <br> Modified Date

