



# UNIVERSITAS GADJAH MADA

Faculty of Mathematics and Natural Sciences

Mathematics Department

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## Doctoral Program in Mathematics

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### MODULE HANDBOOK Doctoral in Mathematics

<b>Module name:</b>	Theory of Integral															
<b>Module level, if applicable:</b>	Doctoral Program															
<b>Code, if applicable:</b>	MMM 6101															
<b>Semester(s) in which the module is taught:</b>	1 <sup>st</sup> (first) year															
<b>Person responsible for the module:</b>	Chair of Applied Mathematics Research Group															
<b>Lecturer(s):</b>	Ch. Rini Indrati / Assigned Lecturer(s)															
<b>Language:</b>	Bahasa Indonesia															
<b>Relation to curriculum:</b>	Doctoral Degree in Mathematics, Elective Course															
<b>Credit points:</b>	3 Semester Credit Unit															
<b>Type of teaching, contact hours:</b>	3x50 minutes lectures, 3x60 minutes structured activities.															
<b>Workload:</b>	<ul style="list-style-type: none"> <li>• 3x50 minutes lectures,</li> <li>• 3x60 minutes structured activities,</li> <li>• 3x60 minutes individual study,</li> <li>• In 16 weeks per semester (including assignments and examinations)</li> </ul>															
<b>Recommended prerequisites:</b>	Student has learned the Riemann integral. It will be better if the student has learned the Lebesgue integral.															
<b>Module objectives/intended learning outcomes:</b>	On successful completion of this course, students should be able to: CO 1. prove and develop some properties of the (non-absolute) integral. CO 2. analyze and develop some convergence theorems of the integral.															
<b>Content:</b>	<ol style="list-style-type: none"> <li>1. Absolute and non-absolute integrals.</li> <li>2. Gauge functions, Generalized absolutely continuous functions, generalized bounded variation functions.</li> <li>3. Definition and some characteristics of non-absolute integrable functions.</li> <li>4. Some convergence theorems of the associated integrals.</li> </ol>															
<b>Study and examination requirements and forms of examination:</b>	<p>The final mark will be weighted as follows:</p> <table border="1"> <thead> <tr> <th>No</th> <th>Assessment methods (components, activities)</th> <th>Weight (percentage)</th> </tr> </thead> <tbody> <tr> <td>1</td> <td>Final Examination</td> <td>30%</td> </tr> <tr> <td>2</td> <td>Mid-Term Examination</td> <td>30%</td> </tr> <tr> <td>3</td> <td>Class Activities: Presentation and Quiz</td> <td>25%</td> </tr> <tr> <td>4.</td> <td>Homework</td> <td>15%</td> </tr> </tbody> </table> <p>The initial cut-off points for grades A, B, C, and D should not be less than 80%, 65%, 50%, and 40%, respectively.</p>	No	Assessment methods (components, activities)	Weight (percentage)	1	Final Examination	30%	2	Mid-Term Examination	30%	3	Class Activities: Presentation and Quiz	25%	4.	Homework	15%
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1	Final Examination	30%														
2	Mid-Term Examination	30%														
3	Class Activities: Presentation and Quiz	25%														
4.	Homework	15%														
<b>Media employed:</b>	Board, LCD Projector, Laptop/Computer															
<b>Reading List:</b>	<ol style="list-style-type: none"> <li>1. Lee Peng Yee, 1989, <i>Lanzhou Lectures on Henstock integration</i>, World Scientific, Singapore</li> <li>2. Pfeffer, W.F., 1993, <i>The Riemann Approach to Integration</i>, Cambridge University Press, New-York, USA.</li> </ol>															

	<ol style="list-style-type: none"> <li>3. Lee P.Y. and Výborný, R., 2000, <i>Integral: An Easy Approach after Kurzweil and Henstock</i>, Cambridge University Press.</li> <li>4. Indrati, Ch. R., 2003, Convergence Theorems for the Henstock Integral Involving Small Riemann Sums, <i>Real Analysis Exchange</i> 29 (1), (2003/2004), 481 – 488.</li> <li>5. Indrati, Ch. R., and Aryati, L., 2016, The Countably Lipschitz Integral, <i>Global Journal of Pure and Applied Mathematics</i>, Volume 12, Number 5 (2016), pp. 3991-3999.</li> </ol>
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<b>Mapping of The COs and PLOs</b>
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	<b>PLO - 1 S3 Mat</b>	<b>PLO - 2 S3 Mat</b>	<b>PLO - 3 S3 Mat</b>	<b>PLO - 4 S3 Mat</b>	<b>PLO - 5 S3 Mat</b>	<b>PLO -6 S3 Mat</b>
<b>CO 1</b>		v	v			v
<b>CO 2</b>		v	v			v

Programme Learning Outcomes (PLO) Doctoral Programme in Mathematics

<b>PLO-1</b>	:	<p><b>Attitude:</b></p> <p>Devote to God Almighty, uphold the humanity values, internalize academic values and ethics, responsible in working in the area of expertise independently.</p>
<b>PLO-2</b>	:	<p><b>Knowledge:</b></p> <p>Mastering philosophy of mathematics and one of the fields in mathematics (algebra, analysis, applied mathematics, statistics, computational mathematics, computational statistics).</p>
<b>PLO-3</b>	:	<p><b>Knowledge:</b></p> <p>Able to think logically, analytically, inductively, deductively, and structured; having the ability to manage, lead, and develop research programs independently, and able to communicate the thoughts as well as his work to the scientific community and the general public.</p>
<b>PLO-4</b>	:	<p><b>Skill:</b></p> <p>Creating new concepts and / or new methods (original) in the field of mathematics that are recognized nationally and internationally.</p>
<b>PLO-5</b>	:	<p><b>Skill:</b></p> <p>Able to apply mathematics according to their field of expertise to solve problems including those that require a multidisciplinary, cross-disciplinary, or trans-disciplinary approach.</p>
<b>PLO-6</b>	:	<p><b>Life Long Learning:</b></p> <p>Having lifelong learning skills and adaptive to the development of science and technology, especially in fields related to Mathematics and its applications.</p>